Reg. No.

G. VENKATASWAMY NAIDU COLLEGE (AUTONOMOUS), KOVILPATTI – 628 502.



UG DEGREE END SEMESTER EXAMINATIONS - NOVEMBER 2024.

(For those admitted in June 2023 and later)

PROGRAMME AND BRANCH: B.Sc., INFORMATION TECHNOLOGY

SEM	CATEGORY		COMPONENT	COURSE CODE	COURSE TITLE
III	PART - III		ELECTIVE GENERIC-3	U23IT3A3	DISCRETE MATHEMATICS
Date &	& Sessi	on: 14	.11.2024/ AN Ti	me : 3 hours	Maximum: 75 Marks
Course Outcome	Bloom's K-level	Q. No.	<u>SECTI</u> A	<u>ON – A (</u> 10 X 1 = .nswer <u>ALL Q</u> uest	10 Marks) ions.
CO1	K1	1.	Choose the correct one. Let P: I am in Bangalore; Q: a) If I love cricket then I am b) If I am in Bangalore then c) I am not in Bangalore d) I love cricket	I love cricket; ther in Bangalore I love cricket	$p \rightarrow q$ is
CO1	K2	2.	When the compound propos is a tautology. a) $p \leftrightarrow q$ b) $p \rightarrow q$	itions p and q are c) ר (ז	called logically equivalent if pvq) d) א רַעק
CO2	K1	3.	How many subset does a por a) One b) Two	wer set of empty o c) Zer	r Null set has? o d) Three
CO2	K2	4.	Which of the following two s a) {1,3,5} and {1,3,6} c) {1,3,5} and {2,3,4}	ets are disjoint? b) {1,2,3} and d) {1.3.5} and	1 {1,2,3} 1 {2,4,6}
CO3	K1	5.	Which of the following proper a) Sum of all the elements of b) Sum of all the elements of c) Sum of all non-zero elements d) Sum of all zero elements of	erty define the trac f the matrix f leading diagonal ents of matrix of matrix	e of the matrix? of matrix
CO3	K2	6.	The linear system Cx = d is I a) Homogenous b) Heteroge	known as ii neous c) Nonhom	f d!= 0. ogeneous d) Augmented System
CO4	K1	7.	The number of edges in a real a) 347 b) 230	gular graph of deg c) 184	ree 46 and 8 vertices is. d) 186
CO4	K2	8.	Write the property of a trail : a) A walk without repeated edge c) A walk with repeated edge	in a graph. edges b) A cycle es d) A line g	with repeated edges graph with one or more vertices
CO5	K1	9.	Which of the following proble problem? a) Knapsack problem c) Travelling salesman probl	em is similar to th b) Closest pa em d) Assignmen	at of a Hamiltonian path ir problem nt problem
CO5	K2	10.	What is bipartite graph? a) A graph contains only one b) A graph consists of more c) A graph has odd number d) A graph contains no cycle	e cycle than 3 number of of vertices and eve s of odd length	vertices n number of edges

Course Outcome	Bloom's K-level	Q. No.	$\frac{\text{SECTION} - B}{\text{Answer}} (5 \times 5 = 25 \text{ Marks})$ Answer <u>ALL</u> Questions choosing either (a) or (b)	
CO1	КЗ	11a.	Construct the truth table for (i) $(p \land q) \lor_{\neg} q$ (ii) $(p \rightarrow q) \rightarrow_{\neg} (q \rightarrow r)$ (OR)	
CO1	КЗ	11b.	(i) Identify whether $((P \Rightarrow Q) \Rightarrow R)$ or $(P \Rightarrow (Q \Rightarrow R))$ are similar or not. (ii) Construct the truth table for "if P then Q".	
CO2	КЗ	12a.	 (i) Identify whether the relation (x,y) €R, if x≥ y defined on the set of +ve integers. Find the relation for this set such as R = {(2,1),(3,1), (3,2), (4,1), (4,2), (4,3), (1,1), (2,2), (3,3), (4,4)} (ii) Draw Hasse diagram for ({3,4,12,24,48,72}./) (OR) 	
CO2	K3	12b.	Write about types of Relations.	
CO3	K4	13a.	Find the inverse of the matrix A= $\begin{pmatrix} 4 & 3 & 8 \\ 6 & 2 & 5 \\ 1 & 5 & 9 \end{pmatrix}$	
CO3	K4	13b.	Illustrate an elementary transformation of a matrix.	
CO4	K4	14a.	 (i) Illustrate degree of a graph (ii) Discover the In degree and Out degree of the given graph. 	
CO4	K4	14b.	Illustrate Walk, Trial and Path of a graph with an example.	
CO5	K5	15a.	Explain Characteristics of tree.	
CO5	K5	15b.	(OK) Discuss centre of a tree and steps to find the centre of a tree.	

Course Outcome	Bloom's K-level	Q. No.	<u>SECTION – C (</u> 5 X 8 = 40 Marks) Answer <u>ALL Q</u> uestions choosing either (a) or (b)
CO1	K3	16a.	Describe connectives with an example.
			(OR)
CO1	K3	16b.	(i) Prove $X \lor Y \Leftrightarrow \neg(\neg X \land \neg Y)$
			(ii) Prove $(X \rightarrow Y) \Leftrightarrow (\neg X \lor Y)$
			(iii) Describe the Equivalence formula
CO2	K4	17a.	(i) Illustrate types of functions
			(ii) Consider $A = \{1, 2, 3, 5, 6, 10, 15, 30\}$ is ordered by divisibility.
			Determine all the comparable and non-comparable pairs of
			elements of A.
			(OR)
CO2	K4	17b.	(i) Illustrate the elementary operations in set theory.
			(ii) Prove that in a group G, if $(ab)^2 = a^2b^2$ for all a, $b \in G$, then G is
			abelian.
			(iii) Let G be a group of order 15. Prove that G is cyclic.

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CO3	K4	18a.	(i) Infer Rank of a matrix using Echelon method
			$ \left(\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$
			(ii) Infer Rank of a matrix using normal method
			$ \left(\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$
			(iii) Illustrate properties of Rank Matrix
CO3	K4	18b.	(OR) (i) Simplify the linear equations using the substitution method
			3x - 4y = 0
			9x - 8y = 12
			(ii) Illustrate Cayley Hamilton Theorem 2 X 2 matrix (iii) Illustrate Cayley Hamilton Theorem 3 X 3 matrix
CO4	K5	19a.	Discuss about types and properties of graph
CO4	К5	19b.	 (i) What are the types of connected graph (ii) If a complete graph has a total of 20 vertices, then find the number of edges it may contain. (iii) If a graph has 40 edges, then how many vertices does it have?
CO5	K5	20a.	(i) Evaluate the Eulerian path for the given graph
			(ii) Evaluate the Eulerian cycle for the given graph
			(iii) Explain Eulerian graph with example (OR)
CO5	K5	20b.	Discuss about Hamiltonian graph and its properties.